- 7.1 Ionic Bonding
- 7.2 Covalent Bonding
- 7.3 Lewis Symbols and Structures
- 7.4 Formal Charges and Resonance
- 7.5 Strengths of Ionic and Covalent Bonds
- 7.6 Molecular Structure and Polarity
- 8.1 Valence Bond Theory
- 8.2 Hybrid Atomic Orbitals
- 8.3 Multiple Bonds
- 8.4 Molecular Orbital Theory


Nicknamed "buckyballs," buckminsterfullerene molecules ( $\mathrm{C}_{60}$ ) contain only carbon atoms. Here they are shown in a ball-and-stick model (left). These molecules have single and double carbon-carbon bonds arranged to form a geometric framework of hexagons and pentagons, similar to the pattern on a soccer ball (center). This unconventional molecular structure is named after architect R. Buckminster Fuller, whose innovative designs combined simple geometric shapes to create large, strong structures such as this weather radar dome near Tucson, Arizona (right). (credit middle: modification of work by "Petey 21 "/Wikimedia Commons; credit right: modification of work by Bill Morrow)

## Learning Objectives

- 7.1 Ionic Bonding
- Explain the formation of cations, anions, and ionic compounds
- Predict the charge of common metallic and nonmetallic elements, and write their electron configurations

(a) Sodium is a soft metal that must be stored in mineral oil to prevent reaction with air or water. (b) Chlorine is a pale yellow-green gas. (c) When combined, they form white crystals of sodium chloride (table salt). (credit a: modification of work by "Jurii"/Wikimedia Commons)


The atoms in sodium chloride (common table salt) are arranged to (a) maximize opposite charges interacting. The smaller spheres represent sodium ions, the larger ones represent chloride ions. In the expanded view (b), the geometry can be seen more clearly. Note that each ion is "bonded" to all of the surrounding ions-six in this case.

## Learning Objectives

- 7.2 Covalent Bonding
- Describe the formation of covalent bonds
- Define electronegativity and assess the polarity of covalent bonds


The potential energy of two separate hydrogen atoms (right) decreases as they approach each other, and the single electrons on each atom are shared to form a covalent bond. The bond length is the internuclear distance at which the lowest potential energy is achieved.


# $\delta+\delta-$ $\mathrm{H}-\mathrm{Cl}$ 

## (a)

(a) The distribution of electron density in the HCl molecule is uneven. The electron density is greater around the chlorine nucleus. The small, black dots indicate the location of the hydrogen and chlorine nuclei in the molecule. (b) Symbols $\delta+$ and $\delta$-indicate the polarity of the $\mathrm{H}-\mathrm{Cl}$ bond.

Figure 7.6


The electronegativity values derived by Pauling follow predictable periodic trends with the higher electronegativities toward the upper right of the periodic table.


Linus Pauling (1901-1994) made many important contributions to the field of chemistry. He was also a prominent activist, publicizing issues related to health and nuclear weapons.


As the electronegativity difference increases between two atoms, the bond becomes more ionic.

## Learning Objectives

- 7.3 Lewis Symbols and Structures
- Write Lewis symbols for neutral atoms and ions
- Draw Lewis structures depicting the bonding in simple molecules

| Atoms | Electronic Configuration | Lewis Symbol |
| :--- | :--- | :---: |
| sodium | $[\mathrm{Ne}] 3 s^{1}$ | $\mathrm{Na} \cdot$ |
| magnesium | $[\mathrm{Ne}] 3 s^{2}$ | $\cdot \mathrm{Mg} \cdot$ |
| aluminum | $[\mathrm{Ne}] 3 s^{2} 3 p^{1}$ | $\cdot \dot{\mathrm{~A} l} \cdot$ |
| silicon | $[\mathrm{Ne}] 3 s^{2} 3 p^{2}$ | $\cdot \dot{\mathrm{~S}} \cdot$ |
| phosphorus | $[\mathrm{Ne}] 3 s^{2} 3 p^{3}$ | $\ddot{\mathrm{p}} \cdot$ |
| sulfur | $[\mathrm{Ne}] 3 s^{2} 3 p^{4}$ | $\therefore \ddot{\mathrm{~s}} \cdot$ |
| chlorine | $[\mathrm{Ne}] 3 s^{2} 3 p^{5}$ | $\ddot{\mathrm{C}} \cdot$ |
| argon | $[\mathrm{Ne}] 3 s^{2} 3 p^{6}$ | $: \ddot{\mathrm{Ar}}:$ |

Lewis symbols illustrating the number of valence electrons for each element in the third period of the periodic table.
$\underset{\substack{\text { sodium } \\ \text { atom }}}{\mathrm{Na}} \longrightarrow \underset{\substack{\text { sodium } \\ \text { cation }}}{\mathrm{Na}^{+}}+\mathrm{e}^{-}$
$\underset{\substack{\text { calcium } \\ \text { atom }}}{\cdot \mathrm{Ca} \cdot} \longrightarrow \underset{\substack{\text { calcium } \\ \text { cation }}}{\mathrm{Ca}^{2+}}+2 \mathrm{e}^{-}$



| Metal |  | Nonmetal | Ionic Compound |
| :---: | :---: | :---: | :---: |
| Na . <br> sodium atom | $+$ | $: \ddot{\mathrm{c}}$ <br> chlorine atom | $\longrightarrow \mathrm{Na}^{+}[: \ddot{\mathrm{C}}:]^{-}$ |
| $\cdot \mathrm{Mg}$ <br> magnesium atom | + | oxygen atom | $\longrightarrow \mathrm{Mg}^{2+}[: \ddot{\mathrm{O}}: \underset{\substack{\text { magnesium oxide } \\ \text { (magnesium ion and oxide ion) }}}{ }$ |
| - Ca <br> calcium atom | $+$ | $2: \ddot{F}$ <br> fluorine atoms | $\mathrm{Ca}^{2+}[: \ddot{\mathrm{F}}:]_{2}^{-}$ <br> calcium fluoride (calcium ion and two fluoride ions) |

Cations are formed when atoms lose electrons, represented by fewer Lewis dots, whereas anions are formed by atoms gaining electrons. The total number of electrons does not change.
$: \mathrm{Cl} \cdot+\cdot \mathrm{Cl}:$
chlorine
atoms


carbon tetrachloride

silane
$\mathrm{H}-\underset{\mathrm{H}}{\mathrm{N}}-\mathrm{H}$
ammonia
$\mathrm{H}-\ddot{\mathrm{O}}-\mathrm{H}$

Water
hydrogen
fluoride

formaldehyde

ethylene
:C:: O: or :C三O:
carbon monoxide
$: C::: N$ : or $: C \equiv N$ :
cyanide ion

$\stackrel{\mathrm{H}}{\mathrm{H}} \stackrel{\mathrm{Si}-\mathrm{H}}{\mathrm{I}}\left[\begin{array}{c}\mathrm{O} \\ \mathrm{I} \\ \mathrm{H}^{-}{ }_{\mathrm{H}}\end{array}\right]^{-} \quad[\mathrm{N}-\mathrm{O}]^{+} \quad \mathrm{F}-\mathrm{O}-\mathrm{F}$
$\xrightarrow[\mathrm{H}]{\mathrm{H}} \underset{\substack{\mathrm{S} \\ \mathrm{H} \\ \mathrm{H}}}{\mathrm{H}}$

$[: \ddot{N}-\ddot{o}:]^{+}$
$: \ddot{F}-0-\ddot{F}$ :

$\left[\begin{array}{c}: \ddot{\mathrm{O}}: \\ \mathrm{H}-\mathrm{C}-\ddot{\mathrm{O}}:\end{array}\right]^{-}$gives $\left[\begin{array}{c}: \ddot{\mathrm{O}}: \\ \mathrm{H}-\mathrm{C}=\mathrm{O}:\end{array}\right]^{-}$
$[: \ddot{\sim}-\dot{\sim}-0]^{+}$
gives $\quad[: \ddot{N}=0:]^{+}$
$[: N \equiv O:]^{+}$

## Example 7.4



## Example 7.4




## Example 7.4




## Example 7.4






$$
\mathrm{H}-\mathrm{C} \equiv \mathrm{~N}:
$$

$$
\mathrm{H}-\mathrm{C} \equiv \mathrm{C}-\mathrm{H}
$$

## Example 7.4



Figure 7.11


Richard Smalley (1943-2005), a professor of physics, chemistry, and astronomy at Rice University, was one of the leading advocates for fullerene chemistry. Upon his death in 2005, the US Senate honored him as the "Father of Nanotechnology." (credit: United States Department of Energy)




Figure 7.12


In $\mathrm{PCl}_{5}$, the central atom phosphorus shares five pairs of electrons. In $\mathrm{SF}_{6}$, sulfur shares six pairs of electrons.



## Example 7.5



## Example 7.5





- 7.4 Formal Charges and Resonance
- Compute formal charges for atoms in any Lewis structure
- Use formal charges to identify the most reasonable Lewis structure for a given molecule
- Explain the concept of resonance and draw Lewis structures representing resonance forms for a given molecule


## Example 7.6




## Example 7.6

Example 7.7

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Example 7.7
$\rightleftharpoons$ openstax

$$
\begin{gathered}
: \ddot{\mathrm{Cl}}-\ddot{\mathrm{N}}-\ddot{\mathrm{C}}: \\
\stackrel{1}{\mathrm{Cl}}: \\
:
\end{gathered}
$$

$\ddot{\mathrm{O}}=\mathrm{c}=\ddot{\mathrm{O}} \quad: \mathrm{O} \equiv \mathrm{C}-\ddot{\mathrm{O}}:$
$\ddot{\mathrm{O}}=0=\ddot{\ddot{C}}$
Structure
$\begin{array}{llllllllll}0 & 0 & 0 & +1 & 0 & -1 & 0 & +2 & -2 & \text { Formal charge }\end{array}$

Structure

$$
[: \ddot{N}=c=\ddot{s}:]^{-}
$$

Formal charge
$\begin{array}{lll}-1 & 0 & 0\end{array}$
$[: \ddot{c}=N=\ddot{s}:]^{-}$
$[: \ddot{c}=s=\ddot{N}:]^{-}$
$-2+1 \quad 0$
$-2+2-1$

## Example 7.8



## Example 7.8

## $: N \equiv N=\dddot{O}:$ $: \ddot{N}=0=\ddot{N}:$ <br> $$
\begin{array}{llllll} 0 & +1 & -1 & & -1 & +2 \end{array}-1
$$



## Example 7.8

$$
[: \ddot{N}=\ddot{o}-\ddot{0}:]^{-} \text {or }[: \ddot{o}=\ddot{N}-\ddot{0}:]^{-}
$$

$[: \ddot{O}-\ddot{N}=\ddot{0}]^{-} \quad\left[\begin{array}{l}\ddot{0}=\ddot{N}-\ddot{O}: \\ \because\end{array}\right]^{-}$
$[: \ddot{O}-\ddot{\mathrm{N}}=\ddot{\mathrm{O}}]^{-} \longleftrightarrow[\ddot{\ddot{O}}=\ddot{\mathrm{N}}-\ddot{\mathrm{O}}:]^{-}$


- 7.5 Strengths of Ionic and Covalent Bonds
- Describe the energetics of covalent and ionic bond formation and breakage
- Use the Born-Haber cycle to compute lattice energies for ionic compounds
- Use average covalent bond energies to estimate enthalpies of reaction



## Example 7.9



## Example 7.9




The Born-Haber cycle shows the relative energies of each step involved in the formation of an ionic solid from the necessary elements in their reference states.

## Learning Objectives

- 7.6 Molecular Structure and Polarity
- Predict the structures of small molecules using valence shell electron pair repulsion (VSEPR) theory
- Explain the concepts of polar covalent bonds and molecular polarity
- Assess the polarity of a molecule based on its bonding and structure


Bond distances (lengths) and angles are shown for the formaldehyde molecule, $\mathrm{H}_{2} \mathrm{CO}$.


The $\mathrm{BeF}_{2}$ molecule adopts a linear structure in which the two bonds are as far apart as possible, on opposite sides of the Be atom.

| Number of regions | Two regions of high electron density (bonds and/or unshared pairs) | Three regions of high electron density (bonds and/or unshared pairs) | Four regions <br> of high <br> electron <br> density (bonds <br> and/or <br> unshared <br> pairs) | Five regions of high electron density (bonds and/or unshared pairs) | Six regions of high electron density (bonds and/or unshared pairs) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Spatial arrangement |  |  |  |  |  |
| Line-dash-wedge notation | $\mathrm{H}-\mathrm{Be}-\mathrm{H}$ |  |  |  |  |
| Electron region geometry | Linear; <br> $180^{\circ}$ angle | Trigonal planar: all angles $120^{\circ}$ | Tetrahedral: all angles $109.5^{\circ}$ | Trigonal bipyramidal; angles of $90^{\circ}$ or $120^{\circ}$ <br> An attached atom may be equatorial (in the plane of the triangle) or axial (above or below the plane of the triangle). | Octahedral; all angles $90^{\circ}$ or $180^{\circ}$ |

The basic electronpair geometries predicted by VSEPR theory maximize the space around any region of electron density (bonds or lone pairs).


The molecular structure of the methane molecule, $\mathrm{CH}_{4}$, is shown with a tetrahedral arrangement of the hydrogen atoms. VSEPR structures like this one are often drawn using the wedge and dash notation, in which solid lines represent bonds in the plane of the page, solid wedges represent bonds coming up out of the plane, and dashed lines represent bonds going down into the plane.

(a)

(b)

(c)
(a) The electron-pair geometry for the ammonia molecule is tetrahedral with one lone pair and three single bonds. (b) The trigonal pyramidal molecular structure is determined from the electron-pair geometry. (c) The actual bond angles deviate slightly from the idealized angles because the lone pair takes up a larger region of space than do the single bonds, causing the HNH angle to be slightly smaller than $109.5^{\circ}$.

| Number of electron regions | Electron region geometries: 0 lone pair | 1 lone pair | 2 lone pairs | 3 lone pairs | 4 lone pairs |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | $\overbrace{\mathrm{E}}^{180^{\circ}}$ <br> Linear |  |  |  |  |
| 3 |  <br> Trigonal planar |  <br> Bent or angular |  |  |  |
| 4 |  <br> Tetrahedral |  <br> Trigonal pyramid |  <br> Bent or angular |  |  |
| 5 |  <br> Trigonal bipyramid |  <br> Sawhorse or seesaw |  <br> T-shape |  <br> Linear |  |
| 6 |  <br> Octahedral | Square pyramid |  <br> Square planar |  <br> T-shape | Linear |

The molecular structures are identical to the electron-pair geometries when there are no lone pairs present (first column). For a particular number of electron pairs (row), the molecular structures for one or more lone pairs are determined based on modifications of the corresponding electron-pair geometry.

(a) In a trigonal bipyramid, the two axial positions are located directly across from one another, whereas the three equatorial positions are located in a triangular arrangement. (bd) The two lone pairs (red lines) in $\mathrm{ClF}_{3}$ have several possible arrangements, but the T -shaped molecular structure (b) is the one actually observed, consistent with the larger lone pairs both occupying equatorial positions.


## Example 7.11


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Figure 7.21



## Example 7.12



Figure 7.22


The ammonium ion displays a tetrahedral electron-pair geometry as well as a tetrahedral molecular structure.

## Example 7.13



(a) $\mathrm{H}_{2} \mathrm{O}$ has four regions of electron density around the central atom, so it has a tetrahedral electron-pair geometry. (b) Two of the electron regions are lone pairs, so the molecular structure is bent.

Example 7.14


(a) SF4 has a trigonal bipyramidal arrangement of the five regions of electron density. (b) One of the regions is a lone pair, which results in a seesaw-shaped molecular structure.


(a) $\mathrm{XeF}_{4}$ adopts an octahedral arrangement with two lone pairs (red lines) and four bonds in the electron-pair geometry. (b) The molecular structure is square planar with the lone pairs directly across from one another.



Example 7.16


(a)

(b)
(a) There is a small difference in electronegativity between C and H , represented as a short vector. (b) The electronegativity difference between B and F is much larger, so the vector representing the bond moment is much longer.


The overall dipole moment of a molecule depends on the individual bond dipole moments and how they are arranged. (a) Each CO bond has a bond dipole moment, but they point in opposite directions so that the net $\mathrm{CO}_{2}$ molecule is nonpolar. (b) In contrast, water is polar because the OH bond moments do not cancel out.

## Bond moments



Overall dipole moment



(a) Molecules are always randomly distributed in the liquid state in the absence of an electric field. (b) When an electric field is applied, polar molecules like HF will align to the dipoles with the field direction.


Oxygen molecules orient randomly most of the time, as shown in the top magnified view. However, when we pour liquid oxygen through a magnet, the molecules line up with the magnetic field, and the attraction allows them to stay suspended between the poles of the magnet where the magnetic field is strongest. Other diatomic molecules (like $\mathrm{N}_{2}$ ) flow past the magnet. The detailed explanation of bonding described in this chapter allows us to understand this phenomenon. (credit:
modification of work by Jefferson Lab)

## Learning Objectives

- 8.1 Valance Bond Theory
- Describe the formation of covalent bonds in terms of atomic orbital overlap
- Define and give examples of $\sigma$ and $\pi$ bonds
- Linus Pauling and others (1930s) developed the valance bond theory of covalent bonding.
- Electrons reside in orbitals.
- Covalent bonds form when electrons are shared by the overlapping of singly occupied orbitals.
- Electrons in these overlapping orbitals must have opposite spins.


## Valance Bond Theory

- Consider the formation of the $\mathrm{H}_{2}$ molecule.


## Valance Bond Theory

- Consider the formation of the HF molecule.


## Valance Bond Theory

- To form a covalent bond, an atom must have an unpaired electron.
- Number of bonds formed by an atom is determined by the number of unpaired electrons.
- This theory works well for explaining the bonding in diatomic molecules with only single bonds.
- This theory also works well for explaining the lack of bonding experienced by the noble gases.
- Valence bond theory must be modified to explain the covalent bonds formed in other molecules.
- Consider $\mathrm{BeF}_{2}, \mathrm{BF}_{3}$, and $\mathrm{CH}_{4}$

(a) The interaction of two hydrogen atoms changes as a function of distance. (b) The energy of the system changes as the atoms interact. The lowest (most stable) energy occurs at a distance of 74 pm , which is the bond length observed for the $\mathrm{H}_{2}$ molecule.

(a) The overlap of two $p$ orbitals is greatest when the orbitals are directed end to end. (b) Any other arrangement results in less overlap. The plus signs indicate the locations of the nuclei.

(a)

(b)

(c)

Sigma ( $\sigma$ ) bonds form from the overlap of the following: (a) two $s$ orbitals, (b) an s orbital and a $p$ orbital, and (c) two $p$ orbitals. The plus signs indicate the locations of the nuclei.

$\operatorname{Pi}(\pi)$ bonds form from the side-by-side overlap of two $p$ orbitals. The plus signs indicate the location of the nuclei.

One $\sigma$ bond No $\pi$ bonds
$: \ddot{o}=\ddot{o}:$
: N三N:
One $\sigma$ bond
Two $\pi$ bonds

## Example 8.1




## Example 8.1


(a)

(b)

(c)

## Learning Objectives

- 8.2 Hybrid Atomic Orbitals
- Explain the concept of atomic orbital hybridization
- Determine the hybrid orbitals associated with various molecular geometries
- Bonding in other molecules is best explained with hybrid orbitals.
- Keep in mind when working with hybrid orbitals.
- The number of hybrid orbitals formed always equals the number of atomic orbitals that are combined.


The hypothetical overlap of two of the $2 p$ orbitals on an oxygen atom (red) with the 1 s orbitals of two hydrogen atoms (blue) would produce a bond angle of $90^{\circ}$. This is not consistent with experimental evidence. (Note that orbitals may sometimes be drawn in an elongated "balloon" shape rather than in a more realistic "plump" shape in order to make the geometry easier to visualize.)

(a)

(b)
(a) A water molecule has four regions of electron density, so VSEPR theory predicts a tetrahedral arrangement of hybrid orbitals. (b) Two of the hybrid orbitals on oxygen contain lone pairs, and the other two overlap with the 1 s orbitals of hydrogen atoms to form the $\mathrm{O}-\mathrm{H}$ bonds in $\mathrm{H}_{2} \mathrm{O}$. This description is more consistent with the experimental structure.

- Two atomic orbitals can hybridize to produce two hybrid orbitals. one $s$ orbital + one $p$ orbital $\rightarrow$ two $s p$ hybrid orbitals


Hybridization of an $s$ orbital (blue) and a $p$ orbital (red) of the same atom produces two $s p$ hybrid orbitals (purple). Each hybrid orbital is oriented primarily in just one direction. Note that each $s p$ orbital contains one lobe that is significantly larger than the other. The set of two $s p$ orbitals are oriented at $180^{\circ}$, which is consistent with the geometry for two domains.
sp Hybrid Orbitals
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- Occurs when a central atom is surrounded by two regions of electron density.

Orbitals in an isolated Be atom


Orbitals in the $s p$ hybridized Be in $\mathrm{BeCl}_{2}$


This orbital energy-level diagram shows the $s p$ hybridized orbitals on Be in the linear $\mathrm{BeCl}_{2}$ molecule. Each of the two $s p$ hybrid orbitals holds one electron and is thus half filled and available for bonding via overlap with a $\mathrm{Cl} 3 p$ orbital.

- Three atomic orbitals can hybridize to produce three hybrid orbitals. one $s$ orbital + two $p$ orbitals $\rightarrow$ three $s p^{2}$ hybrid orbitals
- Occurs when a central atom is surrounded by three regions of electron density.


The hybridization of an $s$ orbital (blue) and two $p$ orbitals (red) produces three equivalent $s p^{2}$ hybridized orbitals (purple) oriented at $120^{\circ}$ with respect to each other. The remaining unhybridized $p$ orbital is not shown here, but is located along the $z$ axis.


This alternate way of drawing the trigonal planar $s p^{2}$ hybrid orbitals is sometimes used in more crowded figures.

$\mathrm{BH}_{3}$ is an electron-deficient molecule with a trigonal planar structure.

Orbitals in an isolated $B$ atom


Orbitals in the $s p^{2}$ hybridized B atom in $\mathrm{BH}_{3}$

$$
\begin{aligned}
& \frac{}{2 p} \text { Unhybridized } \\
& \frac{1}{s p^{2}} \quad \frac{1}{s p^{2}} \quad \frac{1}{s p^{2}}
\end{aligned}
$$

In an isolated $B$ atom, there are one $2 s$ and three $2 p$ valence orbitals. When boron is in a molecule with three regions of electron density, three of the orbitals hybridize and create a set of three $s p^{2}$ orbitals and one unhybridized $2 p$ orbital. The three half-filled hybrid orbitals each overlap with an orbital from a hydrogen atom to form three $\sigma$ bonds in $\mathrm{BH}_{3}$.


The central atom(s) in each of the structures shown contain three regions of electron density and are $s p^{2}$ hybridized. As we know from the discussion of VSEPR theory, a region of electron density contains all of the electrons that point in one direction. A lone pair, an unpaired electron, a single bond, or a multiple bond would each count as one region of electron density.

- Four atomic orbitals can hybridize to produce four hybrid orbitals. one s orbital + three p orbitals $\rightarrow$ four $\mathbf{s p}^{3}$ hybrid orbitals
- Occurs when a central atom is surrounded by four regions of electron density.


The hybridization of an $s$ orbital (blue) and three $p$ orbitals (red) produces four equivalent $s p^{3}$ hybridized orbitals (purple) oriented at $109.5^{\circ}$ with respect to each other.

Orbitals in an isolated C atom

$$
\frac{1}{2 p} \frac{1}{2 p} \frac{}{2 p}
$$

Orbitals in the $s p^{3}$ hybridized C atom in $\mathrm{CH}_{4}$

$$
\frac{1}{s p^{3}} \quad \frac{1}{s p^{3}} \quad \frac{1}{s p^{3}} \quad \frac{1}{s p^{3}}
$$

$\frac{11}{2 s}$

The four valence atomic orbitals from an isolated carbon atom all hybridize when the carbon bonds in a molecule like $\mathrm{CH}_{4}$ with four regions of electron density. This creates four equivalent $s p^{3}$ hybridized orbitals. Overlap of each of the hybrid orbitals with a hydrogen orbital creates a $\mathrm{C}-\mathrm{H} \sigma$ bond.

(a) In the ethane molecule, $\mathrm{C}_{2} \mathrm{H}_{6}$, each carbon has four $s p^{3}$ orbitals. (b) These four orbitals overlap to form seven $\sigma$ bonds.

- Five atomic orbitals can hybridize to produce five hybrid orbitals. one $s$ orbital + three $p$ orbitals + one $d$ orbital $\rightarrow$ five $s p^{3} d$ hybrid
orbitals
- Occurs when a central atom is surrounded by five regions of electron density.
- Six atomic orbitals can hybridize to produce six hybrid orbitals. one $s$ orbital + three $p$ orbitals + two $d$ orbitals $\rightarrow s i x ~ s p^{3} d^{2}$ hybrid orbitals
- Occurs when a central atom is surrounded by six regions of electron density.


The three compounds pictured exhibit $s p^{3} d$ hybridization in the central atom and a trigonal bipyramid form. $\mathrm{SF}_{4}$ and $\mathrm{ClF}_{4}{ }^{+}$have one lone pair of electrons on the central atom, and $\mathrm{ClF}_{3}$ has two lone pairs giving it the T-shape shown.

(a)

(b)
(a) The five regions of electron density around phosphorus in $\mathrm{PCl}_{5}$ require five hybrid $s p^{3} d$ orbitals. (b) These orbitals combine to form a trigonal bipyramidal structure with each large lobe of the hybrid orbital pointing at a vertex. As before, there are also small lobes pointing in the opposite direction for each orbital (not shown for clarity).

(a) Sulfur hexafluoride, $\mathrm{SF}_{6}$, has an octahedral structure that requires $s p^{3} d^{2}$ hybridization. (b) The six $s p^{3} d^{2}$ orbitals form an octahedral structure around sulfur. Again, the minor lobe of each orbital is not shown for clarity.


The shapes of hybridized orbital sets are consistent with the electron-pair geometries. For example, an atom surrounded by three regions of electron density is $s p^{2}$ hybridized, and the three $s p^{2}$ orbitals are arranged in a trigonal planar fashion.


## Example 8.2



Example 8.2

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## Example 8.3



## Learning Objectives

- 8.3 Multiple Bonds
- Describe multiple covalent bonding in terms of atomic orbital overlap
- Relate the concept of resonance to $\pi$-bonding and electron delocalization
- Single bonds are formed by the direct overlap of two hybrid orbitals, $p$ orbitals, or $s$ orbitals.
- These are called sigma ( $\sigma$ ) bonds.
- The additional electrons shared in a multi bond are not a result of directly overlapping hybrid orbitals, but are a result of side-by-side overlap of two regular " $p$ " atomic orbitals.
- These are called pi $(\pi)$ bonds.
- Single bond = 1 sigma bond
- Double bond = 1 sigma bond, 1 pi bond
- Triple bond = 1 sigma bond, 2 pi bonds
- To determine the hybridization in molecules with multi bonds, recall that a double or triple bond is each one region of electron density.


Orbitals in an isolated C atom

$$
\frac{1}{p} \frac{1}{p} \frac{}{p} \text { Unhybridized }
$$

Orbitals in the $s p^{2}$ hybridized C atom in $\mathrm{C}_{2} \mathrm{H}_{4}$

$$
\frac{1}{p}
$$

$$
\frac{1}{s p^{2}} \quad \frac{1}{s p^{2}} \quad \frac{1}{s p^{2}}
$$

In ethene, each carbon atom is $s p^{2}$ hybridized, and the $s p^{2}$ orbitals and the $p$ orbital are singly occupied. The hybrid orbitals overlap to form $\sigma$ bonds, while the $p$ orbitals on each carbon atom overlap to form a $\pi$ bond.

(a)

(b)

In the ethene molecule, $\mathrm{C}_{2} \mathrm{H}_{4}$, there are (a) five $\sigma$ bonds shown in purple. One $\mathrm{C}-\mathrm{C} \sigma$ bond results from overlap of $s p^{2}$ hybrid orbitals on the carbon atom with one $s p^{2}$ hybrid orbital on the other carbon atom. Four $\mathrm{C}-\mathrm{H}$ bonds result from the overlap between the $s p^{2}$ orbitals with $s$ orbitals on the hydrogen atoms. (b) The $\pi$ bond is formed by the side-by-side overlap of the two unhybridized $p$ orbitals in the two carbon atoms, which are shown in red. The two lobes of the $\pi$ bond are above and below the plane of the $\sigma$ system.

- The $\pi$ bond is formed by the side-by-side overlap of the two unhybridized $p$ orbitals in the two carbon atoms, which are shown in red in Figure 8.23. The two lobes of the $\pi$ bond are above and below the plane of the $\sigma$ system.


Diagram of the two linear $s p$ hybrid orbitals of a carbon atom, which lie in a straight line, and the two unhybridized $p$ orbitals at perpendicular angles.

(a)

One $\pi$ bond
Second $\pi$ bond

(b)
(a) In the acetylene molecule, $\mathrm{C}_{2} \mathrm{H}_{2}$, there are two $\mathrm{C}-\mathrm{H} \sigma$ bonds and a $\mathrm{C} \equiv \mathrm{C}$ triple bond involving one $\mathrm{C}-\mathrm{C} \sigma$ bond and two $\mathrm{C}-\mathrm{C} \pi$ bonds. The dashed lines, each connecting two lobes, indicate the side-by-side overlap of the four unhybridized $p$ orbitals. (b) This shows the overall outline of the bonds in $\mathrm{C}_{2} \mathrm{H}_{2}$. The two lobes of each of the $\pi$ bonds are positioned across from each other around the line of the $\mathrm{C}-\mathrm{C} \sigma$ bond.

## Triple Bonds

- Figure 8.25 shows the overall outline of the bonds in $\mathrm{C}_{2} \mathrm{H}_{2}$. The two lobes of each of the $\pi$ bonds are positioned across from each other around the line of the $\mathrm{C}-\mathrm{C} \sigma$ bond.


Each carbon atom in benzene, $\mathrm{C}_{6} \mathrm{H}_{6}$, is $s p^{2}$ hybridized, independently of which resonance form is considered. The electrons in the $\pi$ bonds are not located in one set of $p$ orbitals or the other, but rather delocalized throughout the molecule.


- 8.4 Molecular Orbital Theory
- Outline the basic quantum-mechanical approach to deriving molecular orbitals from atomic orbitals
- Describe traits of bonding and antibonding molecular orbitals
- Calculate bond orders based on molecular electron configurations
- Write molecular electron configurations for first- and second-row diatomic molecules
- Relate these electron configurations to the molecules' stabilities and magnetic properties

Figure 8.27


A Gouy balance compares the mass of a sample in the presence of a magnetic field with the mass with the electromagnet turned off to determine the number of unpaired electrons in a sample.

(a) When in-phase waves combine, constructive interference produces a wave with greater amplitude. (b) When out-of-phase waves combine, destructive interference produces a wave with less (or no) amplitude.


Molecular orbitals
 orbital, $\sigma_{s}^{*}$
 orbital, $\sigma_{s}$

Sigma ( $\sigma$ ) and sigma-star ( $\sigma^{*}$ ) molecular orbitals are formed by the combination of two $s$ atomic orbitals. The dots $(\bullet)$ indicate the locations of nuclei.


Combining wave functions of two $p$ atomic orbitals along the internuclear axis creates two molecular orbitals, $\sigma_{p}$ and $\sigma_{p}^{*}$.


Side-by-side overlap of each two $p$ orbitals results in the formation of two $\pi$ molecular orbitals. Combining the out-of-phase orbitals results in an antibonding molecular orbital with two nodes. One contains the axis, and one contains the perpendicular. Combining the inphase orbitals results in a bonding orbital. There is a node (blue line) directly along the internuclear axis, but the orbital is located between the nuclei (red dots) above and below this node.

## Example 8.5



## Example 8.5

## Example 8.5



Walter Kohn developed methods to describe molecular orbitals. (credit: image courtesy of Walter Kohn)


The molecule shown, HIV-1 protease, is an important target for pharmaceutical research. By designing molecules that bind to this protein, scientists are able to drastically inhibit the progress of the disease.


This is the molecular orbital diagram for the homonuclear diatomic $\mathrm{Be}_{2}{ }^{+}$, showing the molecular orbitals of the valence shell only. The molecular orbitals are filled in the same manner as atomic orbitals, using the Aufbau principle and Hund's rule.


The molecular orbital energy diagram predicts that $\mathrm{H}_{2}$ will be a stable molecule with lower energy than the separated atoms.


The molecular orbital energy diagram predicts that $\mathrm{He}_{2}$ will not be a stable molecule, since it has equal numbers of bonding and antibonding electrons.


This shows the MO diagrams for each homonuclear diatomic molecule in the second period. The orbital energies decrease across the period as the effective nuclear charge increases and atomic radius decreases. Between $\mathrm{N}_{2}$ and $\mathrm{O}_{2}$, the order of the orbitals changes.


Without mixing, the MO pattern occurs as expected, with the $\sigma_{p}$ orbital lower in energy than the $\sigma_{p}$ orbitals. When s-p mixing occurs, the orbitals shift as shown, with the $\sigma_{p}$ orbital higher in energy than the $\pi_{\mathrm{p}}$ orbitals.

## Insulator




## Conductor



Molecular orbitals in solids are so closely spaced that they are described as bands. The valence band is lower in energy and the conduction band is higher in energy. The type of solid is determined by the size of the "band gap" between the valence and conduction bands. Only a very small amount of energy is required to move electrons from the valance band to the conduction band in a conductor, and so they conduct electricity well. In an insulator, the band gap is large, so that very few electrons move, and they are poor conductors of electricity. Semiconductors are in between: they conduct electricity better than insulators, but not as well as conductors.


The molecular orbital energy diagram for $\mathrm{O}_{2}$ predicts two unpaired electrons.

Exercise 26a

$$
\left[M^{2+}\right][: \ddot{x}: \cdot]^{2-}
$$

Exercise 26b

$$
\left[\mathrm{M}^{3+}\right][: \ddot{\mathrm{x}}:]_{3}^{-}
$$

Exercise 26c

openstax

$$
\left[\mathrm{M}^{+}\right]_{2}[\because \ddot{x} \cdot:]^{2-}
$$

$$
\left[M^{3+}\right]_{2}[\because \ddot{x}:]_{3}^{2-}
$$



## Exercise 39b








## Exercise 48

ㅡㅡ openstax"



## Exercise 67



## Exercise 73

$$
\begin{array}{llllllll} 
& H & H & & & H & H & \\
H & C & C & C & C & C & C & H \\
& H & H & & & & &
\end{array}
$$

## Exercise 74

## openstax"

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